## Computer Science Comprehensive Exam—Spring 2006 Compiler Construction

**Instructions:** Do *not* put your name on the exam, please answer all the questions directly on the exam itself. Answer **all** the questions. Explain answers as fully as possible, give examples or define terms, if appropriate.

1. What is dataflow analysis and how is it used in a compiler?

2. Do all reasonable programming languages have a LALR(1) grammar? Explain.

- 3. Refer to the DFA in the "appendix." Suppose it were used by a lexer to find tokens in an input file.
  - (a) How many characters past the end of a token might the lexer have to examine before matching the token?



(b) Suppose your answer is k to part (a), show an input file containing at least two tokens such the first token returned by the lexer will examine k characters past the end of the first token before returning the first token. Indicate clearly the endpoint of each token in the input file.

- 4. What is the relationship between the set, S, of ambiguous grammars and the set of LL(1) grammars? Circle the best response.
  - (a) S is a subset of LL(1)
  - (b) LL(1) is a subset of S
  - (c) Their intersection is non-empty
  - (d) Their intersection is empty
  - (e) They are the same
- 5. What is the relationship between the set of LR(2) grammars and the set of LR(4) grammars? Circle the best response.
  - (a) LR(2) is a subset of LR(4)
  - (b) LR(2) is a subset of LR(4)
  - (c) Their intersection is non-empty
  - (d) Their intersection is empty
  - (e) They are the same
- 6. What is the relationship between the set of LR(1) grammars and the set of LL(2) grammars? Circle the best response.
  - (a) LR(1) is a subset of LL(2)
  - (b) LR(1) is a subset of LL(2)
  - (c) Their intersection is non-empty
  - (d) Their intersection is empty
  - (e) They are the same
- 7. What is the relationship between the set, S, of ambiguous grammars and the set, T, of unambiguous grammar? Circle the best response.
  - (a) S is a subset of T
  - (b) T is a subset of S
  - (c) Their intersection is non-empty
  - (d) Their intersection is empty
  - (e) They are the same

8. Rewrite this grammar so that it is LL(1).

$$0 \quad S' \to E \$$$

$$1 \quad S \to E + T$$

$$2 \quad S \to T$$

$$3 \quad T \to \mathbf{t}$$

Do the following for the *rewritten* grammar:

- (a) Compute nullable, FIRST, and FOLLOW for all nonterminals of the grammar.
- (b) For each production  $A \to \alpha$  compute the FIRST of  $\alpha$ .
- (c) Compute and show the LL(1) parsing table.

- 9. Consider the algorithm to compute CLOSE[I] for the set of LR(1) items I for some grammar. Suppose the grammar contains the production  $X \rightarrow \gamma$  where X is some non-terminal and  $\gamma$  is some string of terminals and non-terminals. Answer the following questions assuming A is some non-terminal,  $\alpha$  and  $\beta$  are strings of terminals and non-terminals, and y and z are terminal symbols.
  - (a) If  $A \rightarrow \alpha \bullet X$ , z is in I, which item or items (if any) would be added to CLOSE[I]?

(b) If  $A \rightarrow \alpha \bullet Xy$ , z is in I, which item or items (if any) would be added to CLOSE[I]?

(c) If  $A \rightarrow \alpha \bullet X\beta$ , z is in I, which item or items (if any) would be added to CLOSE[I]?

10. Consider the grammar:

$$0 \quad S' \rightarrow S \$$$

$$1 \quad S \rightarrow V = E$$

$$2 \quad S \rightarrow E$$

$$3 \quad E \rightarrow V$$

$$4 \quad V \rightarrow \text{ id}$$

$$5 \quad V \rightarrow \ast E$$

Refer to the LR(1) automaton for the grammar given in the "appendix." Give the LR(1) parsing table for the grammar.



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$$S' \rightarrow S \bullet \$$$

$$S' \rightarrow S \bullet \$$$

$$S' \rightarrow S \bullet \$$$

$$S \rightarrow V = E \bullet \$$$

$$S \rightarrow V = F \bullet \$$$

$$S \rightarrow V = F \bullet \$$$

$$S \rightarrow V = F \bullet \$$$

$$V \rightarrow \bullet id = s \bullet V$$

$$V \rightarrow \bullet * E = s \bullet V$$

$$V \rightarrow \bullet * E = s \bullet V$$

$$V \rightarrow \bullet * E = s \bullet V$$

$$V \rightarrow \bullet * E = s \bullet V$$